

# PROGRAMMING FOR PROBLEM SOLVING -- PPS SUBJECT CODE- BTPS-101-18

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# PPS SYLLABUS

## *Unit 4*

### **Basic Algorithms (6 lectures)**

Searching, Basic Sorting Algorithms (Bubble, Insertion and Selection), Finding roots of equations, notion of order of complexity through example programs (no formal definition required)



# Sorting

- The process of arranging the elements in a list in either ascending or descending order.
- Types of Sorting:
  - ❖ *Bubble Sort*
  - ❖ *Insertion Sort*
  - ❖ *Selection Sort*
  - ❖ *Merge Sort*
  - ❖ *Quick sort*
  - ❖ *Heap Sort*
  - ❖ *Radix Sort*

# Bubble Sorting

- Bubble sort is the easiest sorting algorithm to implement.
- It is inspired by observing the behaviour of air bubbles over foam.
- It is an in-place sorting algorithm.
- It uses no auxiliary data structures (extra space) while sorting.

# How Bubble Sort Works?

- Bubble sort uses multiple passes (scans) through an array.
- In each pass, bubble sort compares the adjacent elements of the array.
- It then swaps the two elements if they are in the wrong order.
- In each pass, bubble sort places the next largest element to its proper position.
- In short, it bubbles down the largest element to its correct position.

# Bubble Sort Algorithm-

- ▶ `for(int pass=1 ; pass<=n-1 ; ++pass) // Making passes through array`
- ▶ `{for(int i=0 ; i<=n-2 ; ++i)`
- ▶ `{if(A[i] > A[i+1]) // If adjacent elements are in wrong order`
- ▶ `swap(i,i+1,A); // Swap them`
- ▶ `}}`
- ▶ `//swap function : Exchange elements from array A at position x,y`
- ▶ `void swap(int x, int y, int[] A)`
- ▶ `{int temp = A[x];`
- ▶ `A[x] = A[y];`
- ▶ `A[y] = temp;`
- ▶ `return ;`
- ▶ `}// pass : Variable to count the number of passes that are done till now`
- ▶ `// n : Size of the array`
- ▶ `// i : Variable to traverse the array A`
- ▶ `// swap() : Function to swap two numbers from the array`
- ▶ `// x,y : Indices of the array that needs to be swapped`

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## Bubble Sort Example-

- ▶ Consider the following array A-Now, we shall implement the above bubble sort algorithm on this array.

**A : Given Array**

6	2	11	7	5
---	---	----	---	---

### Step-01:

We have pass=1 and i=0.

We perform the comparison  $A[0] > A[1]$  and swaps if the 0<sup>th</sup> element is greater than the 1<sup>th</sup> element.

Since  $6 > 2$ , so we swap the two elements.

6	2	11	7	5
---	---	----	---	---

↑    ↑  
**A[0]** **A[1]**

**Before Swapping**

2	6	11	7	5
---	---	----	---	---

↑    ↑  
**A[0]** **A[1]**

**After Swapping**

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## Bubble Sort Example-

- ▶ Step-02:
- ▶
- ▶ We have pass=1 and i=1.
- ▶ We perform the comparison  $A[1] > A[2]$  and swaps if the 1th element is greater than the 2th element.
- ▶ Since  $6 < 11$ , so no swapping is required.



**No Swapping Required**



## Bubble Sort Example-

- ▶ Step-03:
- ▶
- ▶ We have pass=1 and i=2.
- ▶ We perform the comparison  $A[2] > A[3]$  and swaps if the 2nd element is greater than the 3rd element.
- ▶ Since  $11 > 7$ , so we swap the two elements.



**Before Swapping**



**After Swapping**

## Bubble Sort Example-

- ▶ Step-04:
- ▶
- ▶ We have pass=1 and i=3.
- ▶ We perform the comparison  $A[3] > A[4]$  and swaps if the 3rd element is greater than the 4th element.
- ▶ Since  $11 > 5$ , so we swap the two elements.



**Before Swapping**



**After Swapping**

Finally after the first pass, we see that the largest element 11 reaches its correct position

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## Bubble Sort Example-

- ▶ Step-05:
- ▶ Similarly after pass=2, element 7 reaches its correct position.
- ▶ The modified array after pass=2 is shown below-

Pass = 2  
Done

2	6	5	7	11
---	---	---	---	----

- ▶ Step-06:
- ▶ Similarly after pass=3, element 6 reaches its correct position.
- ▶ The modified array after pass=3 is shown below-

Pass = 3  
Done

2	5	6	7	11
---	---	---	---	----

## Bubble Sort Example-

- ▶ Step-07:
- ▶ No further improvement is done in pass=4.
- ▶ This is because at this point, elements 2 and 5 are already present at their correct positions.
- ▶ The loop terminates after pass=4.
- ▶ Finally, the array after pass=4 is shown below-

**Pass = 4  
Done**

<b>2</b>	<b>5</b>	<b>6</b>	<b>7</b>	<b>11</b>
----------	----------	----------	----------	-----------

**Array is Sorted**

## Optimization Of Bubble Sort Algorithm-

- ▶ If the array gets sorted after a few passes like one or two, then ideally the algorithm should terminate.
- ▶ But still the above algorithm executes the remaining passes which costs extra comparisons.

```
for (int pass=1 ; pass<=n-1 ; ++pass)
{
flag=0 // flag denotes are there any swaps done in pass
for (int i=0 ; i<=n-2 ; ++i)
{
if(A[i] > A[i+1])
{
swap(i,i+1,A);
flag=1 // After swap, set flag to 1
}
}
if(flag == 0) break; // No swaps indicates we can terminate loop
}
void swap(int x, int y, int[] A)
{
int temp = A[x];
A[x] = A[y];
A[y] = temp;
return;
}
```

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## Optimization Of Bubble Sort Algorithm-

- ▶ To avoid extra comparisons, we maintain a flag variable.
- ▶ The flag variable helps to break the outer loop of passes after obtaining the sorted array.
- ▶ The initial value of the flag variable is set to 0.
- ▶ The zero value of flag variable denotes that we have not encountered any swaps.
- ▶ Once we need to swap adjacent values for correcting their wrong order, the value of flag variable is set to 1.
- ▶ If we encounter a pass where  $\text{flag} == 0$ , then it is safe to break the outer loop and declare the array is sorted.

## Bubble Sort Algorithm- Time Complexity

Bubble Sort Algorithm	Time Complexity
Best Case	$O(n)$
Average Case	$\Theta(n^2)$
Worst Case	$O(n^2)$

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## Properties- Bubble Sort Algorithm

- ▶ Some of the important properties of bubble sort algorithm are-
- ▶ Bubble sort is a stable sorting algorithm.
- ▶ Bubble sort is an in-place sorting algorithm.
- ▶ The worst case time complexity of bubble sort algorithm is  $O(n^2)$ .
- ▶ The space complexity of bubble sort algorithm is  $O(1)$ .
- ▶ Number of swaps in bubble sort = Number of inversion pairs present in the given array.
- ▶ Bubble sort is beneficial when array elements are less and the array is nearly sorted.





**Thank You**

**Queries????**

